

UML 2001, Toronto Ontario, 3-5 Oct. 2001.

Representing Embedded System Sequence Diagrams As A Formal Language

Elizabeth Latronico and Philip Koopman

Carnegie Mellon University
Electrical and Computer Engineering Department
D-202 Hamerschlag Hall, 5000 Forbes Avenue
Pittsburgh, PA 15213
beth@cmu.edu, koopman@cmu.edu

Abstract. Sequence Diagrams (SDs) have proven useful for describing transaction-oriented systems, and can form a basis for creating statecharts. However, distributed embedded systems require special support for branching, state information, and composing SDs. Actors must traverse many SDs when using a complex embedded system. Current techniques are insufficiently rich to represent the behavior of real systems, such as elevators, without augmentation, and cannot identify the correct SD to execute next from any given state of the system. We propose the application of formal language theory to ensure that SDs (which can be thought of as specifying a grammar) have sufficient information to create statecharts (which implement the automata that recognize that grammar). A promising approach for SD to statechart synthesis then involves ‘compiling’ SDs represented in a LL(1) grammar into statecharts, and permits us to bring the wealth of formal language and compiler theory to bear on this problem area.

1 Introduction

One of a designer’s toughest challenges is attaining the appropriate level of abstraction. Include too little information, and a design is under-specified, often resulting in an incorrect or incomplete implementation. Include too much information, and the design is overly constrained or exceeds time-to-market allowances. Distributed, embedded systems present particularly onerous design challenges, combining complex behavior with a need for quick development cycles.

The Unified Modeling Language (UML) supplies an approach to express requirements and design decisions at various stages in the product development life cycle. The ideal level of abstraction provides the minimum sufficient amount of information required to create a set of correct, cohesive diagrams. UML offers two main diagrams for modeling system behavior: sequence diagrams and statecharts. While related, these diagrams often originate separately and serve diverse purposes. Sequence diagrams are easier for people to generate and discuss, while statecharts provide a more powerful and thorough description of the behavior of a system. We present an algorithm to ensure that sequence diagrams contain sufficient information to be translated into statecharts. Specifically, this algorithm determines whether or not a set of sequence diagrams produces deterministic statecharts. This allows the designer to start with a skeletal structure and add information only when necessary.

UML can be used to model a wide range of systems. To ensure that our results are applicable to actual embedded systems, the problem space needs to be carefully defined. Transaction processing systems are the traditional area of focus. Embedded systems differ from the transaction processing paradigm in the following major ways:

- Multiple initial conditions

Distributed, embedded systems typically run continuously and handle many user requests concurrently. Therefore, the system may not necessarily be in the same initial state for each user. Additionally, users may have disjoint objectives and responsibilities, so a second user may finish what a first user started.

- Same user action evokes different system response

In transaction processing systems, there tends to be a one-to-one mapping from a user request to a system response. Embedded systems often have a limited user interface, so interface component functionality may depend on context.

- Timing sensitivity

Embedded system functionality may depend on temporal properties such as duration, latency, and absolute time.

We examine systems with all three characteristics.

In this paper, we explore how to use UML sequence diagrams to support the needs of embedded systems designers. First, we review methods for composing sequence diagrams that support flexible embedded systems modeling. Then, we show how determining required information content can be represented as a grammar parsing problem to guarantee correct, cohesive diagrams. A generic approach is described, with supporting embedded systems examples incorporating data, state, and timing information. Finally, the more commonly discussed transaction processing model is revisited to illustrate system differences.

Section 2 introduces terminology and examines related work. Section 3 presents a methodology for determining sufficient information in sequence diagrams, and illustrates this methodology with four examples (state information, message preconditions, timing information, and the standard transaction processing system.) Finally, we present our conclusions in section 4.

2 Terminology and Related Work

2.1 Scenarios

2.1.1 Sequence Diagrams and Message Sequence Charts

A scenario describes a way to use a system to accomplish some function [5]. Scenarios can be expressed in many forms, both textual and graphical, informal and formal. UML supports two main ways of expressing scenarios: collaboration diagrams and sequence

diagrams. Sequence diagrams emphasize temporal ordering of events, whereas collaboration diagrams focus on the structure of interactions between objects [7]. Each may be readily translated into the other [7].

We concentrate on sequence diagrams because they elucidate temporal properties. A sequence diagram “presents an Interaction, which is a set of Messages between ClassifierRoles within a Collaboration to effect a desired operation or result” [14]. A sequence diagram models temporal and object relationships using two dimensions, vertical for time and horizontal for objects [14]. The notation of sequence diagrams is based on, and highly similar to, the Message Sequence Chart standard for the telecommunications industry [6].

2.1.2 Composition of Scenarios

A crucial challenge in describing distributed embedded systems is the composition of scenarios. In order to be adequately expressive, sequence diagrams must reflect the structures of the programs they represent. In this paper, we survey approaches to modeling execution structures and transfer of control, and select a method that lends itself to embedded systems.

Our first objective is to refine a model that utilizes sequential, conditional, iterative, and concurrent execution. As many ideas exist, our task is to determine which are appropriate for embedded systems. [5] discusses a process for scenario analysis that includes conditional branching. [12] presents three ways of composing scenarios: sequential, alternative, and parallel. [2] includes iteration as well. [8] and [13] present a tool that handles “algorithmic scenario diagrams” - sequence diagrams with sequential, iterative, conditional and concurrent behavior. We use elements of each, for a combined model that allows sequential, conditional, iterative, and concurrent behavior.

Our second objective is to model transfer of control through sequence diagram composition. The main decision to make is where to annotate control information. One approach is to include composition information in individual diagrams. [4] examines sequence diagram generation from use cases, and discusses the probe concept, a smaller piece of a scenario that can be inserted at a specified point in a larger scenario. [8] presents a similar approach using sub-scenarios. A second approach is to use a separate hierarchical diagram, instead of embedding control information in the constituent diagrams. The Message Sequence Chart (MSC) standard specifies a separate diagram to organize sub-diagrams [6]. [9] explores the usage of base MSCs and high-level MSCs. The high-level MSC graph describes how to compose base MSC graphs to obtain sequential, conditional, iterative, and concurrent execution. [10] presents an additional example of a high-level MSC graph, and applies this method to UML sequence diagrams to assess timing inconsistency. We use the hierarchical diagram approach.

2.1.3 Finite State Machines and Statecharts

Finite state automata describe the possible *states* of a system and *transitions* between these states. Unfortunately, properties of complex systems such as concurrent execution of components lead to extremely large state machines that challenge human comprehension. Statecharts were proposed by Harel [3] to control state explosion problems with finite state machines by introducing the concepts of hierarchy and orthogonal execution. The UML standard 1.3 defines a statechart as “a graph that represents a state machine”, which is used to “represent the behavior of entities capable of dynamic behavior by specifying its response to the receipt of event instances” [14].

2.1.4 Statechart Synthesis

The second challenge in describing distributed, embedded systems is ensuring there is sufficient information for correct, cohesive diagrams. Sequence diagrams are often constructed first in the design life cycle; therefore, we address synthesis of statecharts from sequence diagrams.

Existing work has two shortcomings. First, sufficiency of information for generating statecharts is not checked. Additional information is either absent or applied globally. Our goal is to provide an approach by which a designer can include a minimum amount of information, thereby reducing design time and guaranteeing a correct set of statecharts. We present a methodology to verify sufficiency, by applying well-established parsing theory.

Second, systems with all three embedded system qualities of multiple initial conditions, mapping identical user actions to different system responses, and timing dependencies have not been scrutinized. Systems that lack one of these three qualities generally do not require additional information to produce correct statecharts; therefore, the sufficiency question seems to have not arisen.

We present three embedded systems and show, by applying grammar parsing techniques, that these embedded systems do require additional information to produce correct statecharts. Additionally, we examine a transaction processing system, to illustrate that additional information is not required.

Prior work contains a number of suggestions as to what information sequence diagrams should include to enable statechart synthesis. Information is used for various purposes, but deterministic translation to statecharts is not emphasized. Further, added information is applied globally, which is effort intensive and potentially unnecessary for statechart synthesis. [5] gives a regular grammar for scenarios in order to construct a deterministic finite state machine. This grammar is similar to ours, but information sufficiency is assumed, not proven. Other work has proposed additional information, comprising three categories: state, preconditions and assertions, and timing information. [1] advocates the addition of state symbols to sequence diagrams to represent object state. [12] examines scenarios with pre-conditions and post-conditions

to define possible execution ordering. [15] discusses implications of repeated user actions as a motivation for incorporating pre-conditions and post-conditions. [8] annotates sequence diagrams with assertions, conditions guaranteed to be true at a specified execution point. Timing intervals between messages are included in [10]. Our examples examine these three categories, exposing situations where additional information is needed for statechart synthesis, and situations where it is not.

A number of different systems have been explored and documented; however, these systems lack the combination of multiple initial conditions, same user action evoking different system responses, and timing criteria. Systems without one of these characteristics often fail to manifest sufficiency issues.

A library checkout system is explored by [2] and [7]. In [2], scenarios have differing initial conditions, and system response depends on data attributes. However, statecharts are constructed directly from an informal textual description, not sequence diagrams. [7] synthesizes statecharts from UML collaboration diagrams, but these diagrams have identical initial conditions, one-to-one response mapping, and no timing criteria.

The Automated Teller Machine (ATM) system is a common example, discussed in [12], [15], and [8]. [12] permits timeouts and global timed transitions, but all scenarios start with a single initial condition, and user actions are mapped one-to-one with system responses (aside from time-influenced transitions). In [15], the scenarios can have a one-to-many action-response mapping, but have identical initial conditions and no timing restrictions. [8] approaches the problem in an iterative fashion, generating partial statecharts from sequence diagrams and vice versa. Different subscenarios may handle the same user request; however, there is a single initial condition and timing information is not discussed. The methodology in [8] is extended in [13] for a File Dialog application with the same properties.

We examine three embedded systems to provoke sufficiency questions, then apply our methodology to a traditional transaction processing system to show that these systems do not require additional information for sufficiency.

2.2 Embedded Systems View

The hierarchical graph approach used by the Message Sequence Chart community [6, 9, 10] explicitly represents state and composition information not shown in standard UML sequence diagrams. Figure 1 shows a set of sequence diagrams for a television power switch. TV_1 and TV_2 are regular sequence diagrams. The system has two objects - the user and the TV. The user can send one message, `power`. The TV can send two messages, `turn_on` and `turn_off`. TV_{main} expresses the relationships between TV_1 and TV_2 . The triangle indicates a possible initial condition - the system may start out in TV_1 and TV_2 . Arrows indicate legal compositions. TV_1 and TV_2 must alternate - the sequence $TV_1 TV_1$ is not allowed. Without TV_{main} , state and composition information would be lost.

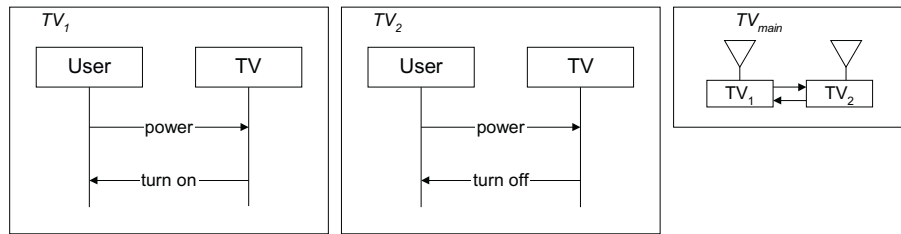


Figure 1 : Sequence diagrams for a television power switch

Embedded system statechart synthesis typically requires more information than solely the messages an object receives. Three cases will be examined where sequence diagrams can be extended using state information, message pre-conditions, and timing information to generate a deterministic grammar. Finally, the widely used ATM example will be reviewed to show that the ATM sequence diagrams generate a deterministic grammar without additional information regarding state, pre-conditions, or timing. We note that the next revision of UML is expected to support additional information through state symbols, OCL constraints and timing marks.

3 Diagram Content

3.1 Deterministic Grammar

The main challenge in statechart synthesis is generating correct statecharts from a set of sequence diagrams with minimum sufficient information. The statecharts do not necessarily need to be complete, but they should give an unambiguous representation of the system. Development time constraints often preclude annotating each message of every sequence diagram. Rather than attempt an exhaustive annotation, an alternate goal is to include the minimum sufficient amount of information.

Correct statechart synthesis from sequence diagrams with minimal annotation can be posed as a context-free grammar parsing problem. A similar approach was used in [5] for text-based scenarios. To identify information gaps, we locate sequence diagram messages that translate into non-deterministic transitions in statecharts, as non-deterministic transitions often indicate information deficiencies. Standard methods for removing non-determinism, such as left factoring [11], and for implementing non-determinism, such as backtracking [11], cannot always be applied to embedded systems sequence charts because messages may have global side effects on the external environment. Therefore, the only guaranteed correct approach is to ensure that sequence diagrams form an LL(1) grammar without left factoring or backtracking.

The context-free grammar for a sequence diagram may be defined as a set of message-response pairs. Given a message or set of messages, an object must produce a unique response or set of responses. A SD can be defined as a series of message-response events:

$$SD \quad \text{message response } SD \mid \quad (1)$$

where ϵ indicates the absence of a message or response. The goal is to construct a SD with a context-free grammar of the form

$$\text{message response} \quad a \text{ ResponseA} \mid \text{ResponseB} \mid \text{ResponseC} \dots \quad (2)$$

where a , b , and c are distinct sequences of messages. A grammar of the form

$$\text{message response} \quad \text{ResponseA} \mid \text{ResponseB} \quad (3)$$

does not produce a deterministic state machine. Upon receipt of a , the object does not know whether to execute ResponseA or ResponseB . The sequence diagram set for this grammar is shown in Figure 2. The system may start in either Seq_1 and Seq_2 , and execute any combination of Seq_1 and Seq_2 .

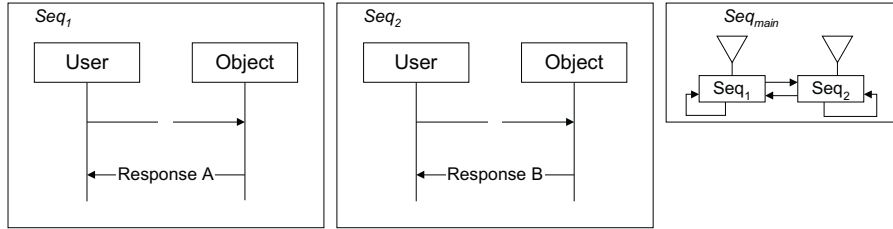


Figure 2 : Sequence diagrams for a generic non-deterministic grammar

Left factoring transforms the grammar in (3) to

$$\begin{aligned} \text{message response} \quad & A' \\ A' \quad & \text{ResponseA} \mid \text{ResponseB} \end{aligned} \quad (4)$$

This is equivalent to the sequence diagram set given in Figure 3. The sequence diagram $\text{Seq}_{\text{factor}}$ is executed, followed by either Seq_1 and Seq_2 . However, this only changes the composition of the diagrams. The problem of whether to execute ResponseA or ResponseB after receipt of a remains.

The backtracking method picks a random response to be executed, and backtracks if the incorrect response was selected. Say the grammar is

$$\text{message response} \quad a \text{ ResponseA} \mid a \text{ ResponseB} \quad (5)$$

Upon receipt of σ , it is unclear whether ResponseA or ResponseB is the correct behavior. One must be selected, so assume ResponseA is selected. The next message is σ . It is clear that ResponseA was incorrect, so the system backtracks and ResponseB is chosen instead. However, this approach is inapplicable to real-time embedded systems, as many responses cannot be undone. For example, one cannot undo detonating a bomb. A greater difficulty emerges in scenarios where it is impossible to select a correct response based on messages alone. For instance, if σ is the only message the user can generate, no amplifying information can be acquired; thus, the correct choice will never be known without querying existing system state.

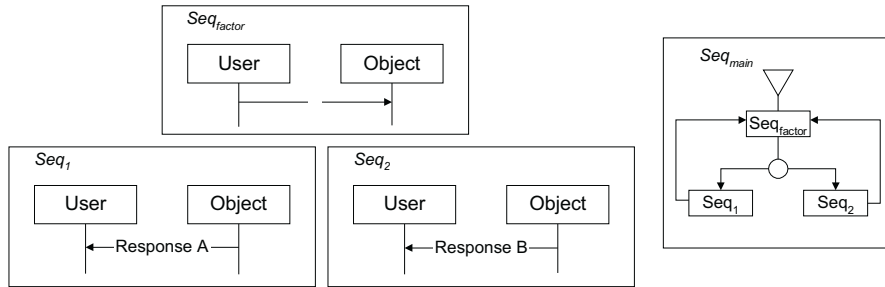


Figure 3 : Left-factored sequence diagrams for a generic non-deterministic grammar

3.2 State Information

Adding state information, as suggested by [1], is often sufficient to allow the generation of a deterministic set of sequence charts. Figure 1 represents the sequence diagram set for a television with a power button. The television either turns on or off in response to the power message. There are two possible initial conditions – the television may be on or off when the user walks in the room.

The grammar for the television is

$$\begin{aligned} \text{SD} & \text{ message } \mathbf{response} \text{ SD} \mid \\ & \text{message } \mathbf{response} \text{ power } \mathbf{turn_on} \mid \text{power } \mathbf{turn_off} \end{aligned} \quad (6)$$

This is of the form

$$\text{message } \mathbf{response} \quad \text{a } \mathbf{turn_on} \mid \text{a } \mathbf{turn_off} \quad (7)$$

and therefore non-deterministic, per the discussion in section 3.1

Adding state information can solve this non-determinism. The problem is that the state of the television is not represented in either sequence diagram, so the response to the power message is ambiguous. The television can be in two states, *on* or *off*. Appending this information to the sequence diagrams yields Figure 4.

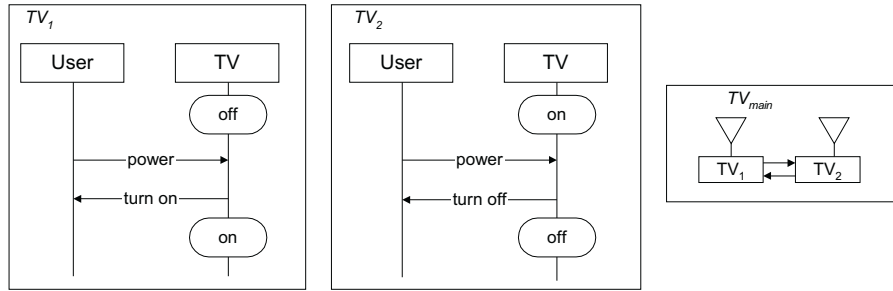


Figure 4 : Sequence diagrams for a television power switch, including state information

The new state information can be incorporated into the grammar. The template for constructing the grammar is now

$$\begin{aligned}
 \text{SD} \quad & \text{state message response SD} \mid \\
 & \text{state message response} \quad \text{off power turn_on} \mid \text{on power turn_off}
 \end{aligned} \tag{8}$$

This is of the form

$$\text{message response} \quad \text{turn_on} \mid \text{turn_off} \tag{9}$$

and is therefore deterministic.

3.3 Preconditions/assertions

State information alone does not guarantee a deterministic statechart, however. Sometimes execution depends on the value of a stored piece of data that is not directly modeled as a state or transition. Preconditions and assertions have been used to represent this additional information (e.g, [8, 13, 15]). Preconditions and assertions are statements, usually in a formal language, that specify properties of variables.

As an example, consider an elevator. The elevator contains a set of numbered car buttons, one per floor, that passengers use to select a destination floor. While inside the car, if a passenger pushes the button for floor the elevator is already on, the doors will open. This is required to allow passengers inside an idle elevator to disembark at the current floor. If the passenger pushes the button for a floor other than the current floor, the doors will close. This is a common, although not universal, set of elevator behaviors. The two basic sequence diagrams for car button behavior are shown in Figure 5.

The grammar for this example is

$$\begin{aligned}
 \text{SD} \quad & \text{message response SD} \mid \\
 & \text{message response} \quad \text{push(f) close} \mid \text{push(f) open}
 \end{aligned} \tag{10}$$

This is of the form

$$\text{message } \mathbf{response} \quad \mathbf{close} \mid \mathbf{open} \quad (11)$$

and therefore non-deterministic.

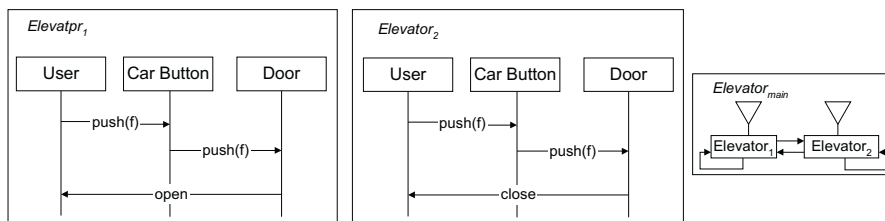


Figure 5 : Sequence diagrams for an elevator

Preconditions for the messages can be added to make this example deterministic, as shown in Figure 6. The crucial piece of missing information is that the response of the elevator depends on the value of (f) in push(f) compared to current state. The value of (f) in push(f) can be either the same as the current floor or other than the current floor.

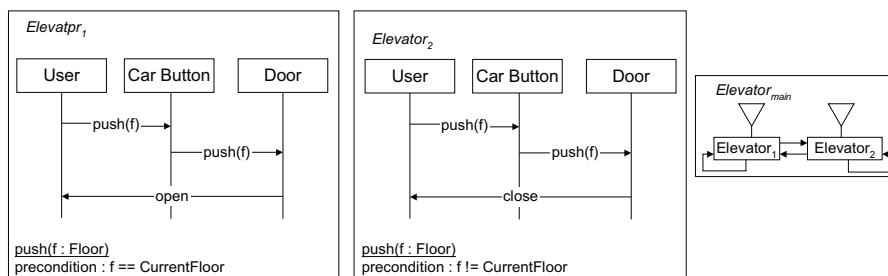


Figure 6 : Sequence diagrams for an elevator, including preconditions

The template for constructing the grammar with preconditions is

$$\begin{aligned} &SD \quad \textit{precondition} \text{ message } \mathbf{response} \quad SD \mid \\ &\textit{precondition} \text{ message } \mathbf{response} \quad (12) \\ &\quad (f == \textit{currentFloor}) \text{ push}(f) \mathbf{open} \mid (f \neq \textit{currentFloor}) \text{ push}(f) \mathbf{close} \end{aligned}$$

This is of the form

$$\text{message } \mathbf{response} \quad \mathbf{close} \mid \mathbf{open} \quad (13)$$

and is deterministic.

3.4 Timing Information

Finally, the response of an embedded system may depend on the duration of the stimulus. Consider a car radio with a set of buttons to allow users to save and switch to preferred stations. If the button is held for a short time, the radio will change stations to the button's preset station when the button is released. If the button is held longer, the radio will save the current station as the value of the button. The basic sequence charts for this system are given in Figure 7.

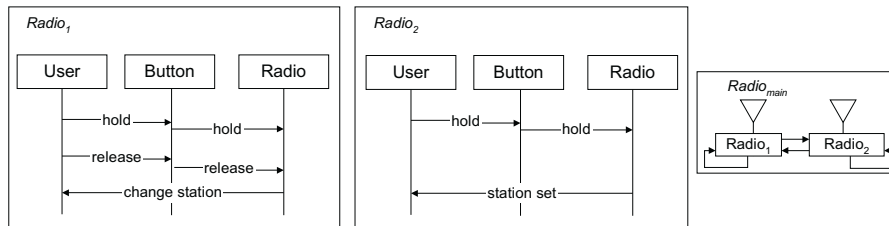


Figure 7 : Sequence diagrams for a radio

The grammar for the car radio is

$$\begin{aligned} & \text{SD} \quad \text{message response SD} \mid \\ & \text{message response} \quad \text{hold release change_station} \mid \text{hold station_set} \end{aligned} \quad (14)$$

This is of the form

$$\text{message response} \textcircled{R} \quad \text{release change_station} \mid \quad \text{station_set} \quad (15)$$

and therefore non-deterministic. At first glance, it may seem deterministic because of the `release` message. However, assume the system receives the `hold` message. Does it do nothing (waiting for `release`), or set the station?

Timing information is needed to express which transition should be taken. Figure 8 illustrates the car radio sequence charts with timing information included.

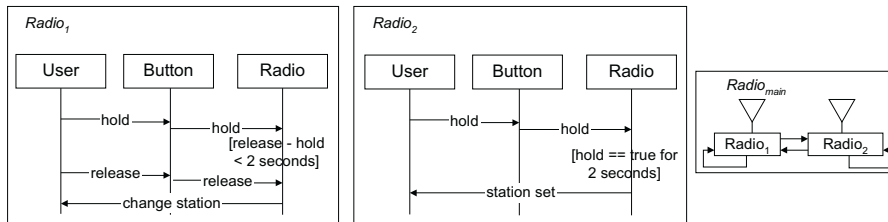


Figure 8 : Sequence diagrams for a radio, including timing information

The template for constructing the grammar with timing information is

$$\begin{aligned}
 & \text{SD} \quad \text{message } \textit{duration} \textbf{response} \text{ SD} \mid \\
 & \text{message } \textit{duration} \textbf{response} \\
 & \quad \text{hold } (\textit{holdDuration} < 2 \textit{seconds}) \text{ release } \textbf{change_station} \mid \\
 & \quad \text{hold } (\textit{holdDuration} \textit{reaches} 2 \textit{seconds}) \textbf{station_set}
 \end{aligned}
 \tag{16}$$

This is of the form

$$\text{message } \textbf{response} \quad \text{release } \textbf{change_station} \mid \textbf{station_set}
 \tag{17}$$

and is deterministic.

3.5 ATM example

To demonstrate the distinction between embedded systems and transaction processing systems, the classic Automated Teller Machine (ATM) example will be analyzed. [15] synthesizes statecharts from a set of four scenarios for the ATM system. Figure 9 is the sequence diagram for the first scenario. There are four objects exchanging messages : the user, the ATM, the consortium, and the bank. In this example, statecharts are generated for the ATM object only. The scenarios share the same initial condition. We constructed grammar descriptions for the set of diagrams, provided in formulas 18-21. We will apply grammar parsing to identify any non-determinism present.

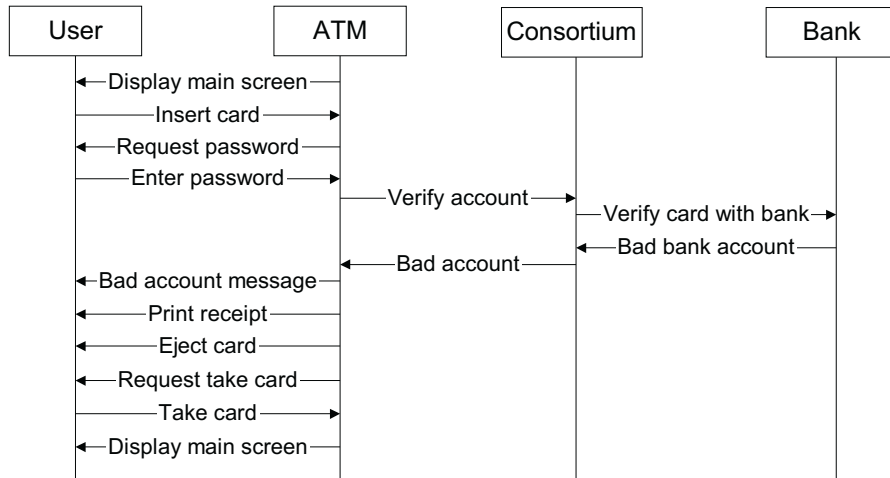


Figure 9 : Interaction with an ATM (from [15])

SD message response SD |
 message response Display_main_screen |
 Insert_card Request_password | Enter_password Verify_account | (18)
 Bad_account Bad_account_message Eject_card Request_take_card |
 Take_card Display_main_screen

SD message response SD |
 message response Display_main_screen |
 Insert_card Request_password | Enter_password Verify_account | (19)
 Bad_password Request_password |
 Cancel Canceled_message Eject_card | Take_card Display_main_screen

SD message response SD |
 message response Display_main_screen | (20)
 Insert_card Request_password |
 Cancel Canceled_message Eject_card Request_take_card |
 Take_card Display_main_screen

SD message response SD |
 message response Display_main_screen | (21)
 Insert_card Request_password | Enter_password Verify_account |
 Cancel Canceled_message Eject_card Request_take_card |
 Take_card Display_main_screen

Table 1 lists all the message-response pairs observed in the grammar for the sequence diagram set.

Note that each incoming message produces a unique set of system responses, with the exception of `Cancel`. In the first SD grammar (19), `Cancel` evokes `Canceled_message` and `Eject_card`. In the third and fourth SD grammars (20) and (21), `cancel` evokes `Canceled_message`, `Eject_card`, and `Request_take_card`. Upon reflection, this is probably an omission in the first sequence diagram, not a design decision.

The `Display_main_screen` message occurs before the receipt of any user messages, but does not cause non-determinism because the ATM has a single initial condition. If multiple initial conditions existed, this would pose a problem. [15] discusses a permutation of SD1, where `Insert_card` is repeated:

message response Insert_card | Insert_card Request_Password (22)

This is non-deterministic and would mandate additional information for constructing statecharts (which the authors provide.)

Table 1 : Message-response pairs for the ATM system

Message	ATM Response	Used in SD#
	Display main screen	All
Insert card	Request password	All
Bad account	Bad account message Print receipt Eject card Request take card	SD1
Bad password	Canceled message Eject card	SD2
Cancel	Canceled message Eject card	SD2
Cancel	Canceled message Eject card Request take card	SD3, SD4
Take card	Display main screen	All

4 Conclusions

We presented a methodology that guarantees *sufficient* sequence diagram information to generate correct statecharts. We converted sequence diagrams to a context-free grammar, and applied parsing theory to locate non-deterministic behavior. When state, message preconditions, and timing information are included in the grammar, being LL(1) seems to be sufficient to guarantee determinism for the embedded systems we discussed. We showed how this approach illustrated what additional information was required to attain deterministic behavior, and provided examples incorporating state information, message preconditions, and timing information. Finally, we discussed a transaction processing example to show that transaction processing systems are inherently deterministic.

We have also examined diagram composition and information content to assess adequacy for embedded systems. We advocate hierarchical diagrams [6, 9, 10] as the preferred format for sequence diagram composition for designing embedded systems. These diagrams work well for expressing sequential, conditional, iterative, and concurrent execution of sequence diagrams that are common in embedded systems. Further, they support multiple initial conditions, one-to-many action-response mapping, and timing dependencies.

5 Acknowledgements

This research is supported by the General Motors Satellite Research Lab at Carnegie Mellon University and the United States Department of Defense (NDSEG/ONR).

References

- [1] Douglass, B. *Doing Hard Time*. Addison-Wesley, 1999.
- [2] Glinz, M. An Integrated Formal Model of Scenarios Based on Statecharts. In *Proceedings of the 5th European Software Engineering Conference (ESEC 95)*, Sitges, Spain, 1995, pp. 254-271.
- [3] Harel, D. Statecharts: A Visual Formalism for Complex Systems. *Science of Computer Programming*, vol.8, no.3, 1987, pp. 231-274.
- [4] Hitz, M., and G. Kappel. Developing with UML - Some Pitfalls and Workarounds. *UML '98 - The Unified Modeling Language*, Lecture Notes in Computer Science 1618, Springer-Verlag, 1999, pp. 9-20.
- [5] Hsia, P. et al. Formal Approach to Scenario Analysis. *IEEE Software*, vol.11, no.2, 1994, pp. 33-41.
- [6] ITU-T. Recommendation Z.120. ITU - Telecommunication Standardization Sector, Geneva, Switzerland, May 1996.
- [7] Khriess, I., M. Elkoutbi, and R. Keller. Automating the Synthesis of UML StateChart Diagrams from Multiple Collaboration Diagrams. *UML '98 - The Unified Modeling Language*, Lecture Notes in Computer Science 1618, Springer-Verlag, 1999, pp. 132-147.
- [8] Koskimies, K., T. Systa, J. Tuomi, and T. Mannisto. Automated Support for Modeling OO Software. *IEEE Software*, vol.15, no.1, 1998, pp. 87-94.
- [9] Leue, S., L. Mehrmann, and M. Rezai. Synthesizing Software Architecture Descriptions from Message Sequence Chart Specifications. In *Proceedings of the 13th IEEE International Conference on Automated Software Engineering*, Honolulu, Hawaii, 1998, pp. 192-195.
- [10] Li, X. and J. Lilius. Checking Compositions of UML Sequence Diagrams for Timing Inconsistency. In *Proceedings of the Seventh Asia-Pacific Software Engineering Conference (APSEC 2000)*, Singapore, 2000, pp. 154-161.
- [11] Louden, K. *Compiler Construction : Principles and Practice*. PWS Publishing Company, 1997.
- [12] Some, S., R. Dssouli, and J. Vaucher. From Scenarios to Timed Automata: Building Specifications from User Requirements. In *Proceedings of the 1995 Asia-Pacific Software Engineering Conference*, Australia, 1995, pp. 48-57.
- [13] Systa, T. Incremental Construction of Dynamic Models for Object-Oriented Software Systems. *Journal of Object-Oriented Programming*, vol.13, no.5, 2000, pp. 18-27.
- [14] Unified Modeling Language Specification, Version 1.3, 1999. Available from the Object Management Group. <http://www.omg.com>.
- [15] Whittle, J., and J. Schumann. Generating Statechart Designs from Scenarios. In *Proceedings of the 2000 International Conference on Software Engineering (ICSE 2000)*, Limerick, Ireland, 2000, pp. 314-323.